CURRICULUM AND SYLLABUS FOR B.Sc. (Mathematics) - BACHELOR OF SCIENCE (THREE YEAR - FULL TIME) REGULATION – 2017 REVISION -I

(Applicable to the students admitted from the academic year 2017-2018 onwards)

| | | SEMESTER I | | | | | | |
|---------------|-------------|--|----|---|---|----|----|----|
| Туре | Course Code | Course Name | L | Т | Р | SS | Н | С |
| CC 3 (DSC 3A) | XMT101 | Classical Algebra | 3 | 2 | 0 | - | 5 | 4 |
| UMAN 1 | XMT102 | Ariviyal Tamil | 3 | 0 | 0 | - | 3 | 3 |
| CC 1 | XMT103 | Fundamental Physics | 3 | 1 | 0 | - | 4 | 4 |
| CC 2 (DSC 2A) | XMT104 | Foundation Course in Mathematics | 3 | 2 | 0 | - | 5 | 4 |
| AECC 1 | XGE105 | Study Skills | 1 | 0 | 0 | 2 | 3 | 1 |
| UMAN 2 | XUM106 | Human Ethics, Values, Rights and Gender Equality | 1 | 0 | 0 | 2 | 3 | 1 |
| CC 1 lab | - | Fundamental Physics(Practical -1*) | 0 | 0 | 0 | 0 | 3 | - |
| | | Total | 14 | 5 | 0 | 4 | 26 | 17 |

*Continued in XMT206

| | | SEMESTER II | | | | | | |
|---------------|-------------|--|----|---|---|----|----|----|
| Туре | Course Code | Course Name | L | Т | Р | SS | Н | С |
| AECC 2 | XGE201 | Speech and Business Communication | 3 | 0 | 0 | - | 3 | 3 |
| AECC 3 | XES202 | Environmental Studies | 2 | 1 | 0 | 0 | 3 | 2 |
| CC 4 | XMT 203 | Modern Physics | 3 | 1 | 0 | - | 4 | 4 |
| CC 5 (DSC 2B) | XMT204 | Calculus | 4 | 2 | 0 | - | 6 | 5 |
| CC 6 (DSC 3B) | XMT205 | Sequences and Series | 4 | 2 | 0 | - | 6 | 5 |
| GE1 | - | *Open Elective to be chosen by student | 3 | 0 | 0 | - | 3 | 3 |
| CC 4 Lab | XMT206 | Fundamental Physics(Practical -1) | 0 | 0 | 3 | - | 3 | 2 |
| | | Total | 19 | 6 | 3 | 0 | 28 | 24 |

| | | SEMESTER III | | | | | | |
|--------------------------------|-------------|--|----|---|---|----|----|-------|
| Туре | Course Code | Course Name | L | Т | Р | SS | Η | С |
| SEC 1 | XMT301 | Logic and Sets | 2 | 0 | 0 | 2 | 4 | 2 |
| CC 7 | XMT302 | Programming in C | 3 | 1 | 0 | 0 | 4 | 4 |
| CC 8 (DSC 2C) | XMT303 | Real Analysis | 4 | 1 | 0 | 0 | 5 | 5 |
| CC 9 (DSC 3C) | XMT304 | Analytical Geometry 3D | 4 | 1 | 0 | 0 | 5 | 5 |
| GE 1 | | *Open Elective - To be chosen by student | 3 | 0 | 0 | 0 | 3 | 3 |
| CC 7 lab | XMT305 | Programming in C – Practical | 0 | 0 | 2 | 0 | 4 | 2 |
| UMAN 2 | XUM306 | Disaster Management | 3 | 0 | 0 | 0 | 3 | 0 |
| Minor Course * Extra Credit | | Office Automation (15 hours) | 0 | 0 | 0 | 0 | 0 | 1* |
| | 1 | Total | 19 | 3 | 2 | 2 | 28 | 21+1* |

| | | SEMESTER IV | | | | | | |
|--------------------------------|-------------|--|----|---|---|----|----|-------|
| Туре | Course Code | Course Name | L | Т | Р | SS | Н | С |
| SEC 2 | XMT401 | Theory of Equations | 2 | 0 | 0 | 2* | 2 | 2 |
| CC 10 | XMT402 | Introduction to Matlab | 3 | 1 | 0 | 0 | 4 | 4 |
| CC 11 (DSC 2D) | XMT403 | Vector Calculus and Fourier Series | 4 | 1 | 0 | 0 | 5 | 5 |
| CC 12 (DSC 3D) | XMT404 | Algebra | 4 | 1 | 0 | 0 | 5 | 5 |
| GE 2 | | *Open Elective - To be chosen by student | 3 | 0 | 0 | 0 | 3 | 3 |
| CC 10 Lab | XMT405 | Introduction to Matlab - Practical | 0 | 1 | 2 | 0 | 3 | 2 |
| Minor Course * Extra Credit | | Animation Software I (15 hours) | 0 | 0 | 0 | 0 | 0 | 1* |
| | | Total | 16 | 4 | 2 | 2* | 22 | 21+1* |

| | | SEMESTER V | | | | | | |
|--------------------------------|-------------|--|----|---|---|----|----|-------|
| Туре | Course Code | Course Name | L | Т | Р | SS | Η | С |
| SEC 3 | XMT501 | Probability and Statistics | 2 | 0 | 0 | 2* | 2 | 2 |
| DCE 1 A | XMT502A | Matrices | 4 | 2 | 0 | 0 | 6 | 6 |
| DSE 1A | XMT502B | Discrete Mathematics | | | | | | |
| DSE 2A | XMT503A | Numerical Methods | 4 | 2 | 0 | 0 | 6 | 6 |
| DSE 2A | XMT503B | Mechanics | | | | | | |
| | XMT504A | Linear Algebra | 4 | 2 | 0 | 0 | 6 | 6 |
| DSE 3A | XMT504B | Astronomy | | | | | | |
| GE 3 | | *Open Elective - To be chosen by student | 3 | 0 | 0 | 0 | 3 | 3 |
| Minor Course * Extra Credit | | Animation Software II (15 hours) | 0 | 0 | 0 | 0 | 0 | 1* |
| | | Total | 17 | 6 | 0 | 2* | 23 | 23+1* |

| | | SEMESTER VI | | | | | | |
|--------|-------------|----------------------|----|---|---|----|----|-------|
| Туре | Course Code | Course Name | L | Т | Р | SS | Η | С |
| SEC 4 | XMT601 | Graph Theory | 2 | 0 | 0 | 2* | 2 | 2 |
| DSE 1B | XMT602A | Complex Analysis | 4 | 2 | 0 | 0 | 6 | 6 |
| DSLID | XMT602B | Number Theory | | | | | | |
| | XMT603A | Linear Programming | 4 | 2 | 0 | 0 | 6 | 6 |
| DSE 2B | XMT603B | Stochastic Processes | | | | | | |
| DSE 3B | XMT604 | Project | 0 | 0 | 0 | 0 | 8 | 6 |
| | - | NSS/NCC/NSO | 0 | 0 | 0 | 0 | 0 | 1* |
| | | Total | 10 | 4 | 0 | 2* | 22 | 20+1* |

DSC: Department Specific CoreDSE: Discipline Specific Elective*Extra CreditSEC: Skill Enhancement courseAECC: Ability Enhancement Compulsory Course*Extra CreditGE: Generic ElectiveUMAN: University Mandatory*Extra Credit

L - Lecture T - Tutorial P – Practical

C-Credit

Summary

| Semester | S1 | S2 | S 3 | S4 | S 5 | S 6 | P1 | P2 | Others |
|----------|-----------|--------|------------------|--------------------|---------------------|------------|--------------|-------------|------------------|
| I | AECC 1 | LAN | CC 1 | CC 2 (DSC 2A) | CC 3 (DSC 3A) | UMAN 1 | CC 1 Lab | | |
| II | AECC 2 | AECC 3 | CC 4 | CC 5 (DSC2B) | CC 6 (DSC3B) | | | CC 4 Lab | |
| III | SEC 1 | CC 7 | CC 8 (DSC2C) | CC 9 (DSC3C) | GE1 | UMAN2 | CC 7 Lab | | Minor Course* |
| IV | SEC 2 | CC 10 | CC 11 (DSC2D) | CC 12 (DSC3D) | GE2 | | CC 10 Lab | | Minor Course* |
| V | SEC 3 | DSE 1A | DSE 2A | DSE3A | GE3 | | | | Minor Course* |
| VI | SEC 4 | DSE1B | DSE 2B | DSE3B (PROJECT) | | | | | NSS/ NCC/NSO |

* Extra Credit

Total Number of subjects proposed with the credits is given below:

| S. No. | Type of Courses | Numbers | Total Credit | UGC Norms |
|--------|----------------------------|---------|--------------|-----------|
| 1 | AECC (Theory) | 03 | 06 | 04 |
| 2 | Core Course (Theory & Lab) | 12 | 64 | 72 |
| 3 | DSE (Theory & Lab) | 06 | 36 | 36 |
| 4 | SEC | 04 | 08 | 08 |
| 5 | GE | 03 | 09 | |
| 6 | UMAN | 02 | 00 | |
| 7 | LAN | 01 | 03 | |
| | Minor courses, NSS / NCC | 4* | 4* | |
| | Total | 31 + 4* | 126 + 4* | 120 |

*Extra credit

| DSC: | Branch | Total Credit | Core DSC (%) | DSE (%) | SEC (%) | AECC (%) | GE (%) | UMAN (%) | LAN (%) | Minor Course, IPT& NSS/NCC |
|------|--------------|-----------------|-----------------|----------------|--------------|--------------|--------------|-------------|--------------|-------------------------------------|
| | B.Sc.(Maths) | 126+4* | 64 (50.80%) | 36 (28.57%) | 8 (6.35%) | 6 (4.76%) | 9 (7.14%) | 0 (0%) | 3 (2.38%) | 4* (Extra Credit) |

Department Specific Core SEC: Skill Enhancement course DSE: Discipline Specific Elective

AECC: Ability Enhancement Compulsory Course GE: Generic Elective

UMAN: University Mandatory

| C P A L T P I | C | OURSE | CODE | COUR | SE NAME | L | Т | P | С |
|--|--------------|-----------------|-------------------|--------------------------|---------------------|---------------|------------|-------|---|
| 4 0 0 3 2 0 4 PREREQUISITE: Basic concept of Algebra and Trigonometry COURSE OUTCOMES: Course outcomes: Domain Level Coll Define set, the axioms of set theory and to construct arbitrary cartesian product of sets. Cognitive Remembering Understanding CO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets. Cognitive Remembering Understanding Applying Cod: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series. Cognitive Remebering Applying Cognitive Remebering Applying Addet and apply formations of series by difference series, successive difference series and Recurring series. Cognitive Remebering Applying Cognitive Remebering Applying Add to find Exponential and Logarithmic Series. Cognitive Remebering Applying Cognitive Remebering Applying Applying After theory, Euler's | XMT | 101 | | Classic | al Algebra | 3 | 1 | 0 | 4 |
| PREREQUISITE: Basic concept of Algebra and Trigonometry COURSE OUTCOMES: Domain Level COURSE OUTCOMES: Course outcomes: Domain Level COI Define set, the axioms of set theory and to construct arbitrary cartesian product of sets. Cognitive Remembering Understanding CO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets. Cognitive Remembering Understanding Applying about countable and uncountable sets. Cognitive Remembering Understanding Applying CO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series. Cognitive Remembering Applying CO4: Explain Summations of series by difference series, Successive difference series and Recurring series. Cognitive Remembering Applying CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. Its UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. Its UNIT II 15 Relations and their types – F | С | Р | Α | | | L | Т | P | Η |
| COURSE OUTCOMES:Course outcomes:DomainLevelCO1 Define set, the axioms of set theory and to construct arbitrary cartesian product of sets.CognitiveRemembering UnderstandingCO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.CognitiveRemembering Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15INIT II15Relations and their types – Functions and their types-Countable and Uncountable sets. | 4 | 0 | 0 | | | 3 | 2 | 0 | 5 |
| Course outcomes:DomainLevelCO1 Define set, the axioms of set theory and to construct arbitrary cartesian product of sets.CognitiveRemembering UnderstandingCO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.CognitiveRemembering Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering Understanding ApplyingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemembering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets. | PREF | REQUIS | ITE: Basic | c concept of Algebra an | d Trigonometry | | | | |
| CO1 Define set, the axioms of set theory and to construct arbitrary cartesian product of sets.CognitiveRemembering UnderstandingCO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.CognitiveRemembering Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemembering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets. | COU | RSE OU | TCOMES | : | | | | | |
| to construct arbitrary cartesian product of sets. Understanding CO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets. CO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series. CO4: Explain Summations of series by difference series, Successive difference series and Recurring series. CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. UNIT I COccept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. UNIT II IVNIT I IVNIT I IS Relations and their types – Functions and their types-Countable and Uncountable sets. | Cours | se outcor | nes: | | Domain | Lev | vel | | |
| CO2: Define relation, function and apply properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.CognitiveRemembering Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering Understanding ApplyingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemembering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets. | CO1 | Define se | et, the axio | ms of set theory and | Cognitive | Rer | nemb | ering | |
| properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets.15 | to con | struct arl | oitrary cart | esian product of sets. | | Unc | lersta | nding | |
| properties to determine whether a function is one-one, many-one, onto or into and to explain about countable and uncountable sets.Understanding ApplyingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets.15 | CO2: | Define r | elation fu | nction and apply | Cognitive | Rer | nemb | ering | |
| one-one, many-one, onto or into and to explain about countable and uncountable sets.Applying CO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering Understanding CO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering Applying CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering Applying UNIT I 15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15 UNIT II 15Relations and their types – Functions and their types-Countable and Uncountable sets. | | | | | coginitie | 1 | | 0 | |
| about countable and uncountable sets.CognitiveRemembering UnderstandingCO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets.15 | | | | | | | | 0 | |
| CO3: Explain Binomial theorem for any rational index and to find Exponential and Logarithmic Series.CognitiveRemembering UnderstandingCO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets.15 | | | | | | | , <u> </u> | 2 | |
| rational index and to find Exponential and Logarithmic Series. Understanding CO4: Explain Summations of series by difference series, Successive difference series and Recurring series. Cognitive Remebering Applying CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. Cognitive Remembering Applying UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. I5 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. | CO3: | Explain | Binomial | theorem for any | Cognitive | Rer | nemb | ering | |
| Logarithmic Series. Cognitive Remebering CO4: Explain Summations of series by difference series, Successive difference series and Recurring series. Cognitive Remebering CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. Cognitive Remembering Applying UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. I5 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. I5 | | - | | • | | | | 0 | |
| CO4: Explain Summations of series by difference series, Successive difference series and Recurring series.CognitiveRemebering ApplyingCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering | | | | 1 | | | | υ | |
| and Recurring series.CognitiveCO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem.CognitiveRemembering ApplyingUNIT I15Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets.15UNIT II15Relations and their types – Functions and their types-Countable and Uncountable sets. | CO4 : | Explain | Summatic | ons of series by | Cognitive | Rer | neber | ing | |
| CO5: Explain Number theory, Euler's functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. Cognitive Remembering Applying UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. 15 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. | differe | ence serie | es, Success | ive difference series | | App | olying | ŗ | |
| functions Divisibility and Congruence relations and to state and apply Fermat's theorem and Wilson's theorem. Applying UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. Set Algebra – Cartesian UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. Set | and R | ecurring | series. | | | | | | |
| and to state and apply Fermat's theorem and IIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIIII | CO5: | Explain | Number t | heory, Euler's | Cognitive | Rer | nemb | ering | |
| Wilson's theorem. 15 UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. 15 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. 15 | functi | ons Divis | sibility and | Congruence relations | | App | olying | 5 | |
| UNIT I 15 Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. 15 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. 15 | and to | state an | d apply Fe | ermat's theorem and | | | | | |
| Concept of a set- Finite and Infinite set – Axiom of extension – Set Algebra – Cartesian Product of sets. UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. | Wilso | n's theor | em. | | | | | | |
| Product of sets. 15 UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. | UNIT | ľ | | | | | 15 | 5 | |
| UNIT II 15 Relations and their types – Functions and their types-Countable and Uncountable sets. | | 1 | | nd Infinite set – Axiom | of extension – Set | t Algebra – O | Cartes | sian | |
| Relations and their types – Functions and their types-Countable and Uncountable sets. | Produ | ct of sets | • | | | | | | |
| Relations and their types – Functions and their types-Countable and Uncountable sets. | | | | | | | | | |
| | | | | | | | | - | |
| UNIT III 15 | Relati | ons and t | heir types | – Functions and their ty | ypes-Countable and | d Uncountab | ole set | ts. | |
| | UNIT | ' III | | | | | 15 | 5 | |
| Binomial theorem for any rational index - Exponential and Logarithmic Series. | Binon | nial theor | em for any | rational index - Expor | nential and Logarit | hmic Series. | | | |

| Summations of series – summation by differ | ence series – Succe | essive difference s | series- |
|--|----------------------|---------------------|-------------|
| Recurring series. | | | |
| UNIT V | | | 15 |
| Number Theory: Prime Numbers and Comp | osite Numbers - Eu | ler's function - | i |
| Divisibility and Congruence relations - Fern | | | |
| | LECTURE | TUTORIAL | TOTAI |
| | 45 | 30 | 75 |
| TEXT BOOKS 1. S. Narayanan& T. K. ManickavasagamPi | llai "Algebra" Vo | 1 S Viewanath | an Pyt |
| | liai, Aigeora , vo | I. I, S. VISwanau | all I vi. |
| Ltd., Chennai, 1999. | | | |
| Unit 1, 2: Chapter 2. | | | |
| 2. S. Narayanan& T. K. ManickavasagamPi | llai, "Algebra", Vol | l. 2, S. Viswanath | an Pvt. |
| Ltd. Chennai, 2004. | | | |
| , | | | |
| Unit 2: Chapter 2. Unit 5: Chapter 5. | | | |
| 3. S. Narayanan & T. K. ManickavasagamP | illai, "Modern Alge | bra", Vol. 1, | |
| S. Viswanathan Pvt. Ltd. Chennai, 2004. | | | |
| Unit 3, 4: chapter: 3, 4, 5. | | | |
| REFERENCES | | | |
| | | | · |
| 1. Seymour Lipschutz, Set theory & Related | d Topics, Schaum's | outlines, 2nd Edi | tion, Tata |
| McGraw Hill, New Delhi, 2005. | | | |
| 2. Arumugam&Issac, Classical Algebra, Ne | w gamma Publishin | g house, Tirunely | veli, 2003. |
| | - | _ | |
| E REFERENCES | | | |

| CO | URSE | CODE | COURSE NAME | L | Т | Р | С |
|-----|-------|-----------------|---|---|---|---|---|
| XM | T 104 | | Foundation Course in Mathematics | 3 | 1 | 0 | 4 |
| С | Р | Α | | L | Т | P | Η |
| 4 | 0 | 0 | | 3 | 2 | 0 | 5 |
| PRI | EREQU | JISITE : | Basic concept of Algebra and Trigonometry | | | | |
| CO | URSE | OUTCO | OMES: | | | | |

| Course outcomes: | Domain | Level |
|---|-----------|---------------------------|
| CO1: Define and Apply fundamental theorem of algebra to find the relation between roots and coefficients. | Cognitive | Remembering Applying |
| CO2: Explain the transformation of equation and to solve the reciprocal equation using Newton's method. | Cognitive | Understanding Applying |
| CO3: Expand the trigonometric functions and to find the series of trigonometric functions by apply the related properties to Solve the problems. | Cognitive | Understanding Applying |
| CO4: Explain hyperbolic and inverse hyperbolic functions and to find the logarithm of the complex numbers. | Cognitive | Remembering Applying |
| CO5: Explain Summations of trigonometric series and apply properties to find their related problems. | Cognitive | Remembering Applying |

| U | UNIT I | | 15 |
|---|--|---|--|
| | • • | ions: Fundamental Theorem of Algebra - Relations betw mmetric functions of roots. | ween roots and |
| ι | NIT II | | 15 |
| | | of Equations - Reciprocal Equations - Newton's Method of signs – Horner's Method. | d of Divisors - |
| τ | NIT III | | 15 |
| | | Expansion of functions, sinnx, cosnx, tannx- Expansion and cosx - Properties and their -related problems. | of sin ⁿ x and cos ⁿ x |
| | NIT IV | | 15 |
| E | Iyperbolic funct | tions -Inverse hyperbolic functions- Logarithm of Comp | plex Numbers. |
| τ | NIT V | | 15 |
| | | | |
| S | ummations of t | rigonometric series- Properties and their related problem | ms. |
| S | ummations of t | rigonometric series- Properties and their related problem TUTORIAL | ms. TOTAL |
| | LECTURE 60 | TUTORIAL 15 | |
| | LECTURE 60 EXT BOOKS | TUTORIAL 15 | TOTAL 75 |
| | LECTURE 60 EXT BOOKS | TUTORIAL 15 | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya | TUTORIAL 15 | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Che | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Cho Unit 1: C | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 ennai, 2004. | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Cha Unit 1: C Unit 2 : C | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 ennai, 2004. Chapter 6, Secs 6.1- 6.14. | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Cha Unit 1: C Unit 2 : C 2. S. Naraya | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 ennai, 2004. Chapter 6, Secs 6.1- 6.14. Chapter 6, Secs 6.15- 6.30. | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Cha Unit 1: C Unit 2 : C 2. S. Naraya | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 ennai, 2004. Chapter 6, Secs 6.1- 6.14. Chapter 6, Secs 6.15- 6.30. anan & T. K. ManickavasagamPillai, "Trigonometry", S ennai, 2001. | TOTAL 75 |
| | LECTURE 60 EXT BOOKS 1. S. Naraya Ltd., Che Unit 1: C Unit 2 : C 2. S. Naraya Ltd., Che Unit 3: C | TUTORIAL 15 anan & T. K. ManickavasagamPillai, "Algebra", Vol. 2 ennai, 2004. Chapter 6, Secs 6.1- 6.14. Chapter 6, Secs 6.15- 6.30. anan & T. K. ManickavasagamPillai, "Trigonometry", S ennai, 2001. | TOTAL 75 |

Unit 5: Chapter 6.

REFERENCE

1. Arumugam & Issac, "Theory of Equations, Theory of Numbers and Trigonometry",

New gamma Publishing house, Tirunelveli, 2011.

| COURSE CODE | | DE | COURSE NAME | | L | Т | Р | С |
|-------------|------------|-------------|----------------------------|-----------|-----|--------|-------|---|
| XMT204 | | | Calculus | | 4 | 1 | 0 | 5 |
| С | P | Α | | | | | | |
| 5 | 0 | 0 | | | L | Т | Р | Η |
| | | | | | 4 | 2 | 0 | 6 |
| PRE | REQUIS | ITE: | | | | | • | |
| COU | RSE OU | TCOME | S: | | | | | |
| Cour | se outco | mes: | | Domain | Lev | vel | | |
| CO1 | : Find th | e radius a | nd centre of | Cognitive | Ren | nemb | ering | |
| curva | ture,evol | utes and to | o apply successive | | Ap | plying | 5 | |
| differ | rentiation | and Leibi | nitz theorem. | | | | | |
| CO2 | : Explain | Propertie | es of definite integrals - | Cognitive | Une | dersta | nding | |
| Integ | ration by | parts , Re | duction formulae | | | | | |
| and E | Bernoulli' | s formula | | | | | | |
| CO3 | : Evalua | ate doub | le integral both in | Cognitive | Une | dersta | nding | |
| Carte | esian and | polar coor | dinates. | | Арј | plying | 5 | |
| | - | and evalu | ate beta and gamma | Cognitive | Uno | dersta | nding | |

| | Change of variable | | ive | Rememberin |
|--|--|--------------------|----------------|------------|
| the case of two variable | | oles | | |
| ,Transformation from C | Cartesian to polar | | | |
| coordinates. | ~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~ | | | |
| UNIT I Differential Calculus: | | | 1 | 18 |
| Successive Differentiation - Leibnitz theory | orem and its appli | rations - Curvati | | |
| Curvature and Centre of Curvature - Evo | | | | • |
| UNIT II Integral Calculus: | | |] | 18 |
| Properties of definite integrals - Integratie formula. | on by parts - Redu | action formula | e - Bernoulli' | S |
| UNIT III Integration as limit of an in | | | | 18 |
| Definition of double integral - Evaluation coordinates. | n of double integra | al - double integr | al in polar | |
| UNIT IV Triple integrals. Improper I | Integrals: | | | 18 |
| Beta and Gamma integrals and their relat | ions. | | | |
| UNIT V Change of Variables: | | | | 18 |
| Jacobian - Change of variable in the case | | | | |
| Transformation from Cartesian to polar c | oordinates - Trans | sformation from | Cartesian to | |
| spherical polar coordinates. | | mumo du A | TOTAL | |
| | LECTURE | TUTORIA L | TOTAL | |
| | | 30 | 90 | |
| | 60 | | | |
| TEXTBOOKS | 60 | 30 | 70 | |
| TEXTBOOKS | | 1 | 1 | |
| TEXTBOOKS 1. S. Narayanan & T. K. Manickavasagar | | 1 | 1 | |
| | | 1 | 1 | |
| 1. S. Narayanan & T. K. Manickavasagar | n Pillai, "Calculus | 1 | 1 | |
| 1. S. Narayanan & T. K. Manickavasagar Ltd., Chennai, 2004. | n Pillai, "Calculus .2.1-10.3.1 | s", Vol.1. S. Vis | wanathan Pvt. | |

- Unit 2: Chapter 1 Secs 1.1.1-1.15.1
- Unit 3: Chapter I Secs 1.15.2, Chapter 5 Secs 5.1-5.3.2
- Unit 4 : Chapter 5 Secs 5.4-5.5.4 Chapter 7 Secs 7.1.1-7.5
- Unit 5: Chapter 6

REFERENCES

- 1. George B. Thomas, JR & Ross L. Finney, "Calculus and Analytic Geometry", Sixth edition,
 - Narosa Publishing House, New Delhi, 1986.
- 2. Arumugam & Isaac, "Calculus", Vol.1&2, New Gamma Publishing House, 1999.

| COU | JRSE CO | DE | COURSE NAME | | L | Т | P | С |
|-----|---------------------|------------------|---|--------------------------|---|--------------------------|-------|----|
| XM | Г205 | | Sequences and Series | | 4 | 1 | 0 | 5 |
| С | Р | Α | | | | | | |
| 4 | 0.5 | 0.5 | | | L | Т | Р | Η |
| | | | | | 4 | 2 | 0 | 6 |
| PRE | REQUIS | ITE: Fou | ndation course in Mathematics | | | | | |
| COU | JRSE OU | TCOME | S: | | | | | |
| Cou | rse outcor | nes: | | Domain | L | evel | | |
| CO1 | - | gent Sequ | d Sequences, Monotonic Sequences, ence, Divergent Sequences, Oscillating | Cognitive | U | nderst | andir | ng |
| CO2 | : Explair | 1 Behavio | r of Monotonic functions. | Cognitive Psychomotor | G | nderst uided espon | | ıg |
| CO3 | Explain sequence | | ences, limit points and Cauchy | Cognitive | U | nderst | andir | ıg |
| CO4 | | gence and | on test to infinite series to test the to Explain Cauchy's general principal of | Cognitive | | nderst pplyir | | ıg |
| CO5 | converg | ence and | ert's ratio test, Cauchy's root test to test to test the Alternating Series and gence of the series | Cognitive Affective | | pplyir eceivi | - | |

| UNIT I Sequences | 15 |
|---|-------------|
| Bounded Sequences – Monotonic Sequences – Convergent Sequence – Divergent S | Sequences – |
| Oscillating sequences. | |

| UNIT II Algebra of Limits | 15 |
|---|-------------------------------|
| Behavior of Monotonic functions. | |
| UNIT III Some theorems on limits | 15 |
| Subsequences – limit points : Cauchy sequences. | |
| UNIT IV Series | 15 |
| Infinite series - Cauchy's general principal of convergence - Comp | |
| convergence using comparison test (comparison test statement on | |
| UNIT V Test of convergence using D Alembert's ratio test | 15 |
| Cauchy's root test – Alternating Series – Absolute Convergence (S | tatement only for all tests). |
| LECTURE TUTORIAL | TOTAL |
| 60 15 | 75 |
| | |
| TEXT BOOKS | |
| TEXT BOOKS 1. Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a | nd Series" – New Gamma |
| | nd Series" – New Gamma |
| 1. Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a | nd Series" – New Gamma |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. | nd Series" – New Gamma |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. Unit I : Chapter 3 : Sec. 3.0 – 3.5 Page No : 39-55 | nd Series" – New Gamma |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. Unit I : Chapter 3 : Sec. 3.0 – 3.5 Page No : 39-55 Unit II : Chapter 3 : Sec. 3.6, 3.7 Page No:56 – 82 | nd Series" – New Gamma |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. Unit I : Chapter 3 : Sec. 3.0 – 3.5 Page No : 39-55 Unit II : Chapter 3 : Sec. 3.6, 3.7 Page No:56 – 82 Unit III : Chapter 3 : Sec. 3.8-3.11, Page No:82-102 | |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. Unit I : Chapter 3 : Sec. 3.0 – 3.5 Page No : 39-55 Unit II : Chapter 3 : Sec. 3.6, 3.7 Page No:56 – 82 Unit III : Chapter 3 : Sec. 3.8-3.11, Page No:82-102 Unit IV: Chapter 4: Sec. (4.1 & 4.2) Page No: 112-128. | |
| Dr. S.Arumugam & Mr. A.Thangapandi Isaac "Sequences a Publishing House, Edition 2002. Unit I : Chapter 3 : Sec. 3.0 – 3.5 Page No : 39-55 Unit II : Chapter 3 : Sec. 3.6, 3.7 Page No:56 – 82 Unit III : Chapter 3 : Sec. 3.8-3.11, Page No:82-102 Unit IV: Chapter 4: Sec. (4.1 & 4.2) Page No: 112-128. Unit V: Relevant part of Chapter 4 and Chapter 5: Sec. 5.1 | & 5.2 Page No:157-167. |

| CO | URSE | CODE | COURSE NAME | L | Т | | P | С |
|--------|------|------|----------------|---|---|---|----|---|
| XMT301 | | | Logic and Sets | 2 | 0 | 0 | | 2 |
| С | Р | Α | | | | | | |
| 2 | 0 | 0 | | L | Т | Р | SS | Η |
| | | | | 2 | 0 | 0 | 2 | 4 |

| PREREQUISITE: Foundation course in Mathematics | | |
|--|-----------|---------------|
| COURSE OUTCOMES: | | |
| Course outcomes: | Domain | Level |
| CO1: Define and Explain | Cognitive | Remembering |
| Statements and Notations, Connectives, Statements formula and | | Understanding |
| truth tables-Conditional and biconditional, Well formed formulae- | | |
| Equivalence of formulae and Normal forms. | | |
| CO2: Define and Explain | Cognitive | Remembering |
| Theory of inference for a statement calculus, rules of inference, | | Understanding |
| related problems and Indirect method of proof. | | |
| CO3: Define and Explain | Cognitive | Remembering |
| Predicate Calculus, The statement functions, variables and | | Understanding |
| quantifiers predicate formulae, free and bounded variables and the | | |
| universe of discourse. | | |
| CO4: Define and Explain | Cognitive | Remembering |
| The rule of sum and product – permutation – combination of | | Understanding |
| binomial theorem – Multinomial theorem. | | |
| CO5: Define and Explain | Cognitive | Remembering |
| Mathematical Induction, The pigeon hole principle and The | | Understanding |
| principle of inclusive and exclusive Derangements. | | |

| UNIT I Logic | 6 |
|---|--------|
| Statements and Notations- Connectives- Statements formula and truth tables-Conditional | and |
| biconditional – Well formed formulae- Equivalence of formulae- Normal forms. | |
| UNIT II | 6 |
| Theory of inference for a statement calculus – rules of inference – related problems – | |
| Indirect method of proof. | |
| UNIT III | 6 |
| Predicate Calculus – The statement functions – variables and quantifiers – predicate form | ulae – |
| free and bounded variables – the universe of discourse. | |
| UNIT IV Combinatorics | 6 |

| The rule of sum and p theorem. | roduct – permutation – combination of bino | miai theorem – Multinomial |
|---------------------------------|--|--------------------------------|
| | | 1 |
| UNIT V : | | 6 |
| Mathematical Induction | on – The pigeon hole principle – The princip | ple of inclusive and exclusive |
| Derangements. | | |
| LECTURE | | TOTAL |
| 30 | | 30 |
| TEXTBOOK | | ······ |
| 1. R.P. Grimaldi, "Dis 1998. | crete Mathematics and Combinatorial Math | ematics", Pearson Education, |
| REFERENCES | | |
| 1. P.R. Halmos, Naiv | e "Set Theory", Springer, 1974. | |
| 2. E. Kamke, "Theory | of Sets", Dover Publishers, 1950. | |
| 2 G. Damach and Dr | C. Ganesamoorthy, Discrete Mathematics, | Pasaarchgata Fab 2018 |

| CC | OURS | E CODE | COURSE NAME | COURSE NAME | | | | С |
|----|---------------|---------------------------|--|--------------------------|--------|----------------------|------------|-------|
| | XMT | 302 | Programming In C | | | 1 | 0 | 4 |
| С | Р | Α | | | | | | |
| 3 | 0.5 | 0.5 | | | L | Т | Р | Η |
| | | . | | | 3 | 1 | 0 | 4 |
| PR | RERE | QUISITE | Nil | | | | | |
| CC | OURS | E OUTCO | OMES: | | | | | |
| Co | urse | Outcomes | | Domain | | Leve | 2 1 | |
| CC | | xplain Cons Expression | stants, Variables, Data types, Operator and s. | Cognitive | Unders | | erstar | nding |
| CC |)2: Ex | plain Input | and Output operations, Decision Branching, Decision making and Looping. | Cognitive Psychomotor | • | Unde Guid Resp | ed | nding |

| CO3: Explain Character Arrays and Strings and User defined Cognitive Un Functions. | | | | | | |
|--|------------------------|---------------------------|--|--|--|--|
| CO4: Explain and Apply Structures and unions, Pointers a File management in C. | and Cognitive | Understanding Applying | | | | |
| CO5: Apply Dynamic memory allocation, Linked lists, Preprocessors and Programming Guide lines. | Cognitive | Applying | | | | |
| | Receiving | | | | | |
| UNIT I | | 12 | | | | |
| Introduction to C – Constants, Variables, Data types – Oper | rator and Expressions. | | | | | |
| UNIT II | | | | | | |
| Managing Input and Output operations – Decision Making | and Branching – Decis | sion making and | | | | |
| Looping. | _ | | | | | |
| UNIT III | | 12 | | | | |
| Arrays – Character Arrays and Strings – User defined Func | tions. | | | | | |
| UNIT IV | | 12 | | | | |
| Structures and unions – Pointers – File management in C. | | | | | | |
| UNIT V | | 12 | | | | |
| Dynamic memory allocation - Linked lists- Preprocessors - | - Programming Guide | lines. | | | | |
| LECTURE TUTORIAL | | TOTAL | | | | |
| 45 15 | | 60 | | | | |
| TEXT BOOK | | | | | | |
| 1. Balagurusamy E .,"Programming in ANSI C", Sixt | h Edition, McGraw-Hi | ill, 2012. | | | | |
| REFERENCE | | | | | | |
| 1. Bichkar, R.S., "Programming with C", University P | ress, 2012. | | | | | |

| CO | URSE (| CODE | COURSE NAME | | L | Т | P | С | |
|--------------|------------------------|------------------------|---|---------------|------------------------------|---------------|--------|------------|--|
| XM | T303 | | Real Analysis | | 4 | 1 | 0 | 5 | |
| ~ | | | | | | | - | | |
| C | P | A | | | L | T | P | H | |
| 5 | 0 | 0 | N 711 | | 4 | 1 | 0 | 5 | |
| ••••• | EREQU | | Nil | | | | | | |
| Cou | irse Ou | comes: | | D | <u>т</u> . | vel | | | |
| CO | 1. F l | - ! | | Domain | ······ | | | ~ | |
| The valu | ie, Comp aight lir | ioms, Fie pleteness | eld properties, Order in R, Absolute , Representation of Real numbers on vals , Countable and Uncountable | Cognitive | Un | uersu | andin | g | |
| | | e and Ex | zolain | Cognitive | Rei | neml | bering | 2 | |
| | | | s, Limit points of a set and Closure | 8 | | | andin | | |
| of a | , | | | | onderstanding | | | | |
| CO | 3: Defin | e and Ex | plain | Cognitive | Rei | Remembering | | | |
| Lim Algo | its, Con ebra of (| tinuous fi | unctions, Types of discontinuities, us functions and Boundedness of | | | Understanding | | | |
| | | e and Ex | - | Cognitive | Rei | neml | bering | 2 | |
| Der: Inve | ivability | and cont | inuity, Algebra of derivatives, rem for derivatives and Darboux's | game | 1 | | andin | - | |
| | | and Exp | lain | Cognitive | Rei | neml | bering | 2 | |
| cono func | ditions f ctions, c | or integra | bility, properties of integrable and derivability of integral | | Remembering Understanding | | | | |
| | | | e theorems, the fundamental | | | | | | |
| | | Calculus Real num | and the first mean value theorem. | I | 15 | | | | |
| | | | | alua Completa | L — - | 00000 | anati | ~ n | |
| | | | eld properties-Order in R- Absolute va straightline – Intervals – Countable a | 1 | | epres | enati | on | |
| UN | ITIN | leighbou | rhoods and limit points: | | 15 | | | | |

| Open sets – Closed sets –Limit points of a set – Closure of a set. | |
|--|---------------------------|
| UNIT III Limits and Continuity: | 15 |
| Limits - Continuous functions - Types of discontinuities- Algebra of Co | ontinuous functions – |
| Boundedness of continuous functions. | |
| UNIT IV Derivatives: | 15 |
| Introduction – Derivability and continuity- Algebra of derivatives – Inve | erse function theorem for |
| derivatives – Darboux's theorem. | |
| UNIT V | 15 |
| Riemann Integration- Definition – Daurboux's theorem – conditions for of integrable functions – continuity and derivability of integral functions – the fundamental theorem of Calculus and the first mean value theorem | – Mean value theorems |
| LECTURE TUTORIAL | TOTAL |
| 60 15 | 75 |
| TEXT BOOKS | |
| 1. M.K.Singhal and Asha Rani Singhal, "A first course in Real Analysis | s"., R. Chand & Co., |
| June,1997 (Units I to IV). | |
| 2. Shanthi Narayan, "A Course of Mathematical Analysis", S.Chand & C | Co. 1995 (Unit-V). |
| Unit-I Chapter 1, Sec. 1.1 – 1.10 | |
| Unit-II Chapter 2 Sec 2.1 – 2.6 | |
| Unit-III Chapter 5 Sec 5.1 – 5.5 | |
| Unit – IV Chapter 6 Sec 6.1 – 6.5 | |
| Unit – V Chapter 6 Sec 6.2, 6.3 & 6.5 6.7 6.8, 6.9 of [2] | |

| C | OURSE | CODE | COURSE NAME | L | Т | P | С |
|------------|-----------|---|--|--------|------------|---------|--------|
| XMT | 304 | | Analytical Geometry 3D | 4 | 1 | 0 | 5 |
| С | Р | Α | | | | | |
| 5 | 0 | 0 | | L | Т | Р | Н |
| | | | | 4 | 1 | 0 | 5 |
| PRE | REQUIS | SITE: Nil | | | | | |
| COU | RSE OU | TCOMES: | | | | | |
| Cour | se outco | mes: | | Domai | n] | Level | |
| CO1 | : Find co | ordinates in sp | ace, direction cosines of a line, angle | Cognit | ive 1 | Rememl | bering |
| | | n line and to ex e of a plane fro | plain angle between planes and m a point. | | 1 | Underst | anding |

| | 60 15 | | 75 | |
|----------------|---|------------------|------------|-----------|
| | LECTURE TUT | ORIAL | TOTA | L |
| cone. (| Condition that the cone has three mutually perpendicular gene ction of a line and quadric – tangents and tangent planes – con | rators- Centra | l quadrics | s – |
| | ion for plane to touch the quadric cone - angle between the lin | nes in which the | ne plane o | |
| normal UNIT | | | | 15 |
| | uation of surface – cone – intersection of straight line and qua | udric cone – t | angent pl | - |
| UNIT | | eratea by a sp | nere und | 15 |
| | of spheres generated by two spheres - System of spheres gen | | | |
| UNIT | III l equation of a sphere-Section of sphere by plane-tangent pla | nos condition | oftonco | nov |
| | nes and shortest distance between skew lines- length of the | erpendicular | from poir | it to lin |
| Straigh | t lines in space – line of intersection of planes – plane contain | ning a line. Co | oplanar li | nes – |
| UNIT | II | | | 15 |
| a plane | in normal form. Angle between planes – Distance of a plane | | | |
| | nates in space-Direction cosines of a line in space-angle betw | een lines in sp | bace – equ | |
| UNIT | I | | | 15 |
| | generators and condition for the plane to totell the concold. | | .[| |
| | condition that the cone has three mutually perpendicular generators and condition for the plane to touch the conicoid. | | | |
| CO5: | Explain the condition for plane to touch the quadric cone, | Cognitive | Underst | anding |
| | intersection of straight line and quadric cone , tangent plane and normal. | | Underst | |
| | Explain and to find the equation of surface, cone, | Cognitive | Remem | bering |
| | Explain section of sphere by plane-tangent planes, condition of tangency and system of spheres generated by two spheres. | Ŭ | Underst | landing |
| | Shortest distance between skew lines. | C it i | TI. | |
| | Find line of intersection of planes, coplanar lines, skew lines | , Cognitive | Kenieni | bering |

- Shanthi Narayanan and Mittal P.K, "Analytical Solid Geometry" 16th Edition S.Chand & Co., New Delhi,2005.
- 2. Narayanan and Manickavasagam Pillay, T.K.," Treatment as Analytical Geometry"
 - S.Viswanathan (Printers & Publishers) Pvt. Ltd., 2008
 - Unit I : Chapter I, Sec 1.5 to 1.9, Chapter II Sec 2.1 to 2.3, Pages : 10-31

Chapter II Sec 2.4 to 2.8 pages : 32-47 of [1]

Unit II : Chapter III section 3.1-3.7, pages 55-89 of [1]

Unit III : Chapter VI Sec. 6.1 to 6.6 pages : 121-143 of [1]

Unit IV : Chapter V Sec.43 to 47 pages : 103-113 of [2]

Unit V : Chapter V Sec.49 to 53, Pages:115-125 of [2]

REFERENCE

1. P.Duraipandian & others, "Analytical Geometry 3 Dimensional", Edition, 1998.

| CC | DURS | RSE CODE COURSE NAME | | L | Т | P | С | |
|----|--|----------------------|--|---------------------------|------------------------------------|---------------|------|---|
| | XMI | r 305 | Programming In C (Practical) | | 0 | 0 | 2 | 2 |
| С | P | Α | | | | | | |
| 2 | 0 | 0 | | | L | Т | P | H |
| | | | | | 0 | 0 | 2 | 4 |
| PR | PREREQUISITE: Nil | | | | | | | |
| CC | DURS | SE OUTC | OMES: | | | | | |
| Co | ourse | Outcomes | : | Domain | | Level | | |
| CC | CO1: Apply Constants, Variables, Data types, Operator and Cognitive Expressions to write simple programmes | | | Cognitive | | Understanding | | |
| CC | CO2: Apply Input and Output operations, Decision Cognitive | | Cognitive Psychomotor | | Understandin Guided Response | | U | |
| CC | CO3: Apply Character Arrays and Strings and User defined Cognitive Functions to write simple programmes | | Cognitive | | Understandin | | | |
| CC | CO4: Apply Structures and unions, Pointers and File management in C to write simple programmes | | | Understanding Applying | | nding | | |
| CC | | | mic memory allocation, Linked lists, ors and Programming Guide lines to write | Cognitive | | Appl | ying | |
| | si | mple prog | rammes | Affective | | Receiving | | |

| List of Programmes | |
|---|---|
| 1. Write a Program to convert temperature from degree Centigrade to Fahrenheit. | L |
| 2. Write a Program to find whether given number is Even or Odd. | |
| 3. Write a Program to find greatest of three numbers. | |
| 4. Sorting given list of names in alphabetical order | |
| 5. Sorting given list of numbers in ascending order | |
| 6. Write a Program to using switch statement to display Monday to Sunday. | |
| 7. Write a Program to display first Ten Natural Numbers and their sum. | |
| 8. Write a Program to find Sum and Multiplication of Two Matrices. | |
| 9. Write a Program to find the maximum number in Array using pointer. | |
| 10. Write a Program to reverse a number using pointer. | |
| 11. Write a Program to solve Quadratic Equation using functions. | |
| 12. Write a Program to find factorial of a number using Recursion. | |
| 13. Write a program to calculate Mean, Variance and SD of N numbers | |
| 14. Write a Program to create a file containing Student Details. | |
| | |

| COU | URSE | CODE | COURSE NAME | L | Т | | P | C |
|-----|------|------|---------------------|-----|---|---|----|---|
| XM | T401 | | Theory of Equations | 2 0 | | 0 | 2 | |
| С | Р | Α | | | | | | |
| 2 | 0 | 0 | | L | Т | Р | SS | Η |
| | | | | 2 | 0 | 0 | 2 | 4 |

| COURSE OUTCOMES: | | | | |
|---|---------------|------------------------------|----------------|--|
| Course outcomes: | Domain | Level | | |
| CO1: Explain Graphical representation of a polynomials, maximum and minimum values of a polynomials. | Cognitive | Remen Apply | mbering ing | |
| CO2: Apply General properties of equations, Descarte's rule of signs positive and negative rule to find the Relation between the roots and the coefficients of equations. | Cognitive | Remen Apply | mbering ing | |
| : Define and Explain Sets, subsets, Set operations, the laws of cognitive eory and Venn diagrams. Examples of finite and infinite sets. | | | | |
| CO4: Define and Explain with Examples Finite sets and counting principle. Empty set, properties of empty set. Standard set operations. Classes of sets. Power set of a set. | Cognitive | ve Understanding Applying | | |
| CO5: Solve reciprocal and binomial equations, and to find algebraic solutions of the cubic and biquadratic with Properties of the derived functions. | Cognitive | Understanding | | |
| UNIT I | | | 6 | |
| General properties of polynomials, Graphical representation of a poly minimum values of a polynomials, | nomials, ma | ximum a | and | |
| UNIT II | | | 6 | |
| General properties of equations, Descarte's rule of signs positive and Relation between the roots and the coefficients of equations. | negative rule | е, | | |

| UNIT II | 6 |
|--|----------|
| General properties of equations, Descarte's rule of signs positive and negative rule, Relation between the roots and the coefficients of equations. | |
| UNIT III | 6 |
| | · · · |
| Sets, subsets, Set operations, the laws of set theory and Venn diagrams. Examples of fi infinite sets. | nite and |
| Sets, subsets, Set operations, the laws of set theory and Venn diagrams. Examples of fi infinite sets. UNIT IV | nite and |
| infinite sets. | 6 |
| infinite sets. UNIT IV Finite sets and counting principle. Empty set, properties of empty set. Standard set ope | 6 |

| LECTURE | TOTAL |
|---|--|
| 30 | 30 |
| EXTBOOKS | |
| . W.S. Burnside and A.W. Panton, "The Theory of | Equations", Dublin University Press, 1954. |
| | |

| CC | URSE CODE COURSE NAME | | L | Τ | P | С | |
|--------|---|---------------|------------------------|-------|------|----------|-------|
| XMT402 | | | Introduction to Matlab | 3 | 1 | 0 | 4 |
| С | P | Α | | | | | |
| 4 | 0 | 0 | | L | Т | Р | Η |
| | | | | 3 | 1 | 0 | 4 |
| PR | ERF | EQUISITE: Nil | • | | | | |
| CC | DUR | SE OUTCOME | S: | | | | |
| Co | urse | outcomes: | | Doma | in | Lev | el |
| CC | CO1: Apply Variables, assignment, statements, expressions, characters, encoding, vectors and matrices. | | | | | Applying | |
| CC | CO2: Explain about creating row vectors and column vectors, dimensions in using functions with vectors and matrices. | | | Cogni | tive | App | lying |

| CO3: Apply Matlab Scripts, Input and Output, scripts with input and output, user defined functions in simple applications. | Cognitive | Applying |
|--|-----------|----------|
| CO4: Apply Selection Statement, relational expressions,SWITCH statement, menu function, looping, FOR loop, nested FOR loop, WHILE loop. | Cognitive | Applying |
| CO5: Apply String manipulations, creating string variable, operations on strings, fundamentals of arrays, structure and file operations with simple applications. | Cognitive | Applying |

| UNIT I | 12 |
|---|--------------|
| Introduction to MATLAB – Variables and assignment statements –expressions – | |
| characters and encoding – vectors and matrices | |
| UNIT II | 12 |
| Creating row vectors and vectors – matrix variables – dimensions in using functions vectors and matrices. | with |
| UNIT III | 12 |
| | |
| MATLAB Programmes - Matlab Scripts, Input and Output, scripts with input and output, | utput, |
| | utput, |
| MATLAB Programmes - Matlab Scripts, Input and Output, scripts with input and output, | utput, |
| MATLAB Programmes – Matlab Scripts, Input and Output, scripts with input and output of file input and output – user defined functions – simple applications. | 12 |
| MATLAB Programmes – Matlab Scripts, Input and Output, scripts with input and ou Introduction to file input and output – user defined functions – simple applications. UNIT IV Selection Statement – relational expressions, SWITCH statement, menu function, lo | 12 |
| MATLAB Programmes – Matlab Scripts, Input and Output, scripts with input and output of Introduction to file input and output – user defined functions – simple applications. UNIT IV Selection Statement – relational expressions, SWITCH statement, menu function, log – FOR loop, nested FOR loop, WHILE loop, | 12 boping |

| 45 | 15 60 |
|---------|--|
| TEXT BO | OOK |
| 1. | Stormy Attaway, "MATLAB - A Practical Approach", Butterworth-Heinemann Publications, 2009. |

| COURSE CODE | | CODE | COURSE NAME | L | Т | P | С |
|-------------|---|--------------------------------------|---|--------|------|---|---|
| XM | T403 | 3 Vector Calculus & Fourier Series 4 | | 1 | 0 | 5 | |
| С | Р | Α | | | | | |
| 5 | 0 | 0 | | L | Т | P | Η |
| | | | | 4 | 1 | 0 | 5 |
| PRF | EREQU | ISITE: 1 | Differential Calculus and Integral Calculus | | | | |
| CO | URSE (| OUTCO | AES: | | | | |
| Cou | rse out | comes: | | Domain | Leve | 1 | |
| CO | D1: Find Gradient of a vector, Directional derivative, divergence & curl of a vector, solenoidal & irrotational vector functions, Laplacian double operator and to solve simple problems.Cognitive ApplyRemen Apply | | | ing | | | |

| CO2: Find vector integration ,tangential line integral ,conservative force field, scalar potential, work done by a force, Normal surface integral, Volume integral and to solve simple problems. | Cognitive | Remembering Applying |
|--|-----------|---------------------------|
| CO3: Use Gauss Divergence Theorem, Stoke's Theorem, Green's Theorem and to solve Simple problems & Verification of the theorems for simple problems. | Cognitive | Remembering Applying |
| CO4: Explain Fourier Series expansion of periodic functions with Period 2π Make Use of odd & even functions in Fourier Series. | Cognitive | Understanding Applying |
| CO5: Explain Half-range Fourier cosine Series & sine series, Change of interval & Combination of series. | Cognitive | Understanding |

| UNIT I | 15 |
|--|-----------------|
| Vector differentiation -velocity & acceleration-Vector & scalar fields -Gradient of a ve | ector- |
| Directional derivative - divergence & curl of a vector solinoidal & irrotational vectors | -Laplacian |
| double operator –simple problems. | |
| UNIT II | 15 |
| Vector integration – Tangential line integral – Conservative force field – scalar | |
| potential- Work done by a force - Normal surface integral- Volume integral - simple | |
| problems. | |
| UNIT III | 15 |
| Gauss Divergence Theorem - Stoke's Theorem - Green's Theorem - Simple problems & | & Verification |
| of the theorems for simple problems. | |
| UNIT IV | 15 |
| Fourier series- definition - Fourier Series expansion of periodic functions with period | 2π – Use of |
| odd & even functions in Fourier Series. | |
| UNIT V | 15 |
| Half-range Fourier Series - definition- Development in Cosine series & in Sine series - | change of |
| interval – Combination of series. | |
| LECTURE TUTORIAL | TOTAL |
| 60 15 | 75 |
| TEXT BOOKS | |

 M.L. Khanna, "Vector Calculus", Jai Prakash Nath and Co., 8th Edition, 1986.
 S. Narayanan, T.K. Manicavachagam Pillai, "Calculus", Vol. III, S. Viswanathan Pvt Limited, and Vijay Nicole Imprints Pvt Ltd, 2004. UNIT – I - Chapter 1 Section 1 & Chapter 2 Sections 2.3 to 2.6, 3, 4, 5, 7 of [1] UNIT – II - Chapter 3 Sections 1, 2, 4 of [1] UNIT – III - Chapter 3 Sections 5 & 6 of [2] UNIT – IV - Chapter 6 Section 1, 2, 3 of [2] UNIT – V - Chapter 6 Section 4, 5.1, 5.2, 6, 7 of [2]
 REFERENCES
 P.Duraipandiyan and Lakshmi Duraipandian, "Vector Analysis", Emarald publishers 1986.
 Dr. S.Arumugam and prof. A.Thangapandi Issac, "Fourier series", New Gamma publishing house 2012.

| CO | COURSE CODE COURSE NAME | | L | Т | P | С | | |
|--|-------------------------|---------------------|---|-----------|------------------|-------------|-----|--|
| XM | XMT404 Algebra | | 4 | 1 | 0 | 5 | | |
| С | P | Α | | | | | | |
| 5 | 0 | 0 | | L | Т | Р | Η | |
| | | | | 4 | 1 | 0 | 5 | |
| PRF | EREQU | ISITE: N | Vil | | | | | |
| CO | URSE O | UTCON | IES: | | | | | |
| Cou | rse outc | omes: | | Domain | Leve | 1 | | |
| CO1: Define groups, abelian and non-abelian groups with examples | | | | Cognitive | nitive Rememberi | | ing | |
| and | to explai | n integer | under addition and multiplication modulo n. | | | | | |
| CO2: Explain Cyclic groups from number systems, complex roots of unity, circle group, the general linear group GLn (n,R), groups of symmetries of (i) an isosceles triangle, (ii) an equilateral triangle, (iii) a rectangle, and (iv) a square, the permutation group Sym (n), Group of quaternions. | | Cognitive Understar | | erstand | ing | | | |
| CO3: Explain Subgroups, cyclic subgroups, the concept of a subgroup generated by a subset and the commutator subgroup of group, examples of subgroups including the center of a group. | | Cognitive | e Understandi | | ing | | | |
| CO ² | I: State | and Exp | lain Cosets, Index of subgroup, Lagrange's | Cognitive | Rem | Remembering | | |
| theorem, order of an element, Normal subgroups, Quotient groups. | | | | Unde | erstand | ing | | |

| rings with rings from number systems, Zn the ring of integers modulo n, rings of matrices, polynomial rings, and rings of continuous | Cognitive | Remembering Understanding |
|---|-----------|------------------------------|
| functions. | | |

| | | 1.7 |
|------------------------|---|---------------|
| | | 15 |
| | mples of groups, examples of abelian and non-abelian groups, the | |
| integers under addi | tion modulo n and the group U(n) of units under multiplication mo | dulo n. |
| UNIT II | | 15 |
| Cyclic groups from | n number systems, complex roots of unity, circle group, the general | 1 |
| 0 1 | n,R), groups of symmetries of (i) an isosceles triangle, (ii) an | |
| equilateral triangle | , (iii) a rectangle, and (iv) a square, the permutation group Sym (n) |), |
| Group of quaternio | ns. | |
| UNIT III | | 15 |
| Subgroups, cyclic s | subgroups, the concept of a subgroup generated by a subset and the | e |
| commutator subgro | oup of group, examples of subgroups including the center of a grou | ıp. |
| UNIT IV | | 15 |
| Cosets, Index of su | bgroup, Lagrange's theorem, order of an element, Normal subgrou | ups: their |
| definition, example | es, and characterizations, Quotient groups. | |
| UNIT V : | | 15 |
| Definition and example | mples of rings, examples of commutative and non-commutative rin | ngs: rings |
| from number syste | ms, Zn the ring of integers modulo n, ring of real quaternions, ring | s of |
| matrices, polynomi | al rings, and rings of continuous functions. Subrings and ideals, In | ntegral |
| domains and fields | , examples of fields: Zp, Q, R, and C. Field of rational functions. | |
| LECTURE | TUTORIAL | TOTAL |
| 60 | 15 | 75 |
| TEXT BOOKS | | |
| 1. S. Naravana | an& T. K. ManickavasagamPillai, "Algebra", Vol. 1, S. Viswanath | nan Pvt. Ltd |
| • | | |
| Chennai, 20 | 004. | |
| 2. S. Naravana | an& T. K. ManickavasagamPillai, "Algebra", Vol. 2, S. Viswanath | nan Pvt. Ltd. |
| 5 | | |

Chennai, 2004.

- 3. Joseph A Gallian, "Contemporary Abstract Algebra", 4th Ed., Narosa, 1999.
- 4. George E Andrews, "Number Theory", Hindustan Publishing Corporation, 1984.

REFERENCES

- 1. John B. Fraleigh, "A First Course in Abstract Algebra", 7th Ed., Pearson, 2002.
- 2. M. Artin, "Abstract Algebra", 2nd Ed., Pearson, 2011.

| COI | COURSE CODE COURSE NAME | | URSE CODE COURSE NAME | | RSE CODE COURSE NAME | | Т | P | С |
|---|-------------------------|-------------------|-----------------------------------|---------------|----------------------|---|------|---|---|
| XMT 405 | | | Introduction to Matlab(Practical) | 0 | 0 | 2 | 2 | | |
| С | P | Α | | | | | | | |
| 2 | 0 | 0 | | L | Т | P | Η | | |
| | | | | 0 | 0 | 2 | 4 | | |
| PRE | REQU | ISITE: Ni | 1 | | | | | | |
| COI | URSE O | UTCOM | ES: | | | | | | |
| Cou | rse outo | comes: | | Domain | Leve | l | | | |
| CO1: Find the prime numbers, Fibonacci series, ascending order, alphabetical order. | | | Cognitive | e Remembering | | | | | |
| CO2: Compute simple and compound interest values, biggest among three numbers, biggest among N integers. | | Cognitive | Cognitive Understand | | ling | | | | |
| CO3: Compute factorial of a given number using recursive function | | Cognitive Underst | | erstand | ling | | | | |
| CO4: Solve a quadratic equation and test with three types of roots. | | Cognitive Applyi | | ying | | | | | |
| COS | 5: Com | pute matri | x multiplication using functions | Cognitive | ve Understand | | ling | | |

| List of Programmes | |
|--|--|
| 1. List the prime numbers in a given range | |
| 2. Display Fibonacci series | |
| 3. Sorting given list of names in alphabetical order | |
| 4. Sorting given list of numbers in ascending order | |

- 5. Read and display for a given matrix of any order
- 6. Compute simple and compound interest values
- 7. Computer biggest among three numbers
- 8. Compute biggest among N integers
- 9. Compute factorial of a given number using recursive function
- 10. Write a program to swap the values using functions
- 12. Write a program to solve a quadratic equation and test with three types of roots.
- 14. Write a program to calculate variance and SD of N numbers
- 15. Write a program to read two matrices and compute matrix multiplication using functions

| COURSE CODE | | CODE | COURSE NAME | L | Т | | P | C |
|--|---|------------|--|---------------|-------------|--------|-------|---|
| XM | XMT501 Probability and Statistics | | 2 | 0 | 0 | | 2 | |
| С | P | Α | | | | | | |
| 2 | 0 | 0 | | L | Т | P | SS | H |
| | | | | 2 | 0 | 0 | 2 | 4 |
| PRE | REQU | ISITE: A | lgebra | | | | | |
| COU | URSE C | OUTCON | IES: | | | | | |
| Cou | rse outo | comes: | | Domain | Lev | el | | |
| CO1 | CO1: Define and Explain Sample space, probability axioms, real | | | Cognitive | Remembering | | | |
| rand | om vari | ables (dis | crete and continuous), cumulative distribution | | Und | lersta | nding | 5 |
| func | tion, and | d probabi | lity mass/density functions. | | | | | |
| CO2: Define and Explain Mathematical expectation, moments, | | | Cognitive | e Remembering | | | | |
| mom | nent gen | erating fi | inction, characteristic function. | | Und | lersta | nding | 5 |
| | _ | _ | | | | | _ | |

| CO3: Define and Explain Discrete distributions: uniform, binomial, Poisson, continuous distributions: uniform, normal, exponential. | Cognitive | Remembering Understanding |
|--|-----------|------------------------------|
| CO4: Define and Explain Joint cumulative distribution function and its properties, joint probability density functions, marginal and conditional distributions. | Cognitive | Remembering Understanding |
| CO5: Define and Explain Expectation of function of two random variables, conditional expectations, and independent random variables. | Cognitive | Remembering Understanding |

| UNIT I | 6 |
|--|---|
| Sample space, probability axioms, real random var | iables (discrete and continuous), cumulative |
| distribution function, and probability mass/density | functions. |
| UNIT II | 6 |
| Mathematical expectation, moments, moment gene | erating function, characteristic |
| function. | |
| UNIT III | 6 |
| Discrete distributions: uniform, binomial, Poisson, | continuous distributions: uniform, normal, |
| exponential. | |
| UNIT IV | 6 |
| Joint cumulative distribution function and its prope | erties, joint probability density functions, |
| marginal and conditional distributions. | |
| UNIT V | 6 |
| Expectation of function of two random variables, c | conditional expectations, independent random |
| variables. | |
| LECTURE | TOTAL |
| 30 | 30 |
| TEXT BOOK | |
| 1. S.C.Gupta and Kapoor, "Fundamentals of N | Mathematical Statistics", tenth revised edition |
| Sultan Chand and Song New Dalhi 2002 | |
| Sultan Chand and Sons, New Delhi, 2002. | |
| | |
| | |

REFERENCES

1. Irwin Miller and Marylees Miller, John E. Freund, "Mathematical Statistics with Application", 7th Ed., Pearson Education, Asia, 2006.

2. Sheldon Ross, "Introduction to Probability Model", 9th Ed., Academic Press, Indian

Reprint, 2007.

| CO | COURSE CODE COURSE NAME | | | L | Т | Р | С | |
|---|---|-----------------|---|-------------------|--------|--------|----------|-----|
| XMT502A | | | Matrices | | 4 | 2 | 0 | 6 |
| С | Р | Α | | | - | | | |
| 6 | 0 | 0 | | | L | Т | Р | Н |
| | | | | | 4 | 2 | 0 | 6 |
| PRI | EREQU | ISITE: N | lil | | | | | |
| CO | URSE O | UTCON | IES: | | | | | |
| Cou | irse outo | omes: | | Don | nain | Leve | l | |
| CO1: Explain Concept of Linear Independence and examples of | | | | Cognitive Underst | | rstand | standing | |
| diffe | erent bas | es. Subsp | aces of R2, R3. | - | | | | • |
| CO | 2: Expl | in Matri | x form of basic geometric transformations. | Cog | nitive | Unde | rstand | ing |
| Inte | rpretatio | n of eigei | n values and eigen vectors for such | | | | | |
| tran | sformation | ons and e | igen spaces as invariant subspaces. | | | | | |
| CO | CO3: Solve linear homogeneous and non-homogeneous equations with | | | Cognitive Apply | | ying | | |
| num | ber of ed | quations a | and unknowns upto four. | | | | | |
| CO4: Explain Matrices in diagonal form upto matrices of order 3, the | | | Cognitive Understan | | rstand | ing | | |
| com | putation | of matrix | k inverses using elementary row operations and to | | | | | - |
| find | rank of | the matri | х. | | | | | |
| CO | 5: Solve | a system | of linear equations using matrices. | Cog | nitive | Appl | ying | |

| UNIT I | | 18 |
|----------------|---|---------------|
| R, R2, R3 as | vector spaces over R. Standard basis for each of them. Concept of Linear | Independence |
| and examples | of different bases. Subspaces of R2, R3. | |
| UNIT II | | 18 |
| Translation, I | Dilation, Rotation, Reflection in a point, line and plane. Matrix form of | |
| | tic transformations. Interpretation of eigen values and eigen vectors for | |
| | nations and eigen spaces as invariant subspaces. | |
| UNIT III | | 18 |
| • • | rices. Rank of a matrix. Invariance of rank under elementary transformati | |
| | n, Solutions of linear homogeneous and non-homogeneous equations wit | h number of |
| | unknowns upto four. | |
| UNIT IV | | 18 |
| | agonal form. Reduction to diagonal form upto matrices of order 3. Comp | outation of |
| | es using elementary row operations. Rank of matrix. | |
| UNIT V | | 18 |
| | system of linear equations using matrices. Illustrative examples of above | e concepts |
| ······ | ry, Physics, Chemistry, Combinatorics and Statistics. | TOTAL |
| LECTUR | | TOTAL |
| 60 | 30 | 90 |
| TEXT BOO | | |
| 1. A.I. K | ostrikin, "Introduction to Algebra", Springer Verlag, 1984. | |
| 2. S. H. I | riedberg, A. L. Insel and L. E. Spence, "Linear Algebra", Prentice Hall o | of India Pvt. |
| Ltd | New Delhi, 2004. | |
| | | |
| 3. Richar | d Bronson, "Theory and Problems of Matrix Operations", Tata McGraw | Hill, 1989. |
| REFERENC | E | |
| 1. S. Na | ayanan& T. K. ManickavasagamPillai, "Algebra", Vol. 2, S. Viswanatha | n Pvt. Ltd. |
| Chan | ai, 2004. | |
| Chem | $a_1, 2_{00+}$ | |

| | COURSE CODE | COURSE NAME | L | Т | P | С | |
|--|-------------|-------------|---|---|---|---|--|
|--|-------------|-------------|---|---|---|---|--|

| XMT502B | | | Discrete Mathematics | | | 2 | 0 | 6 |
|---|-------------|------------------|--|-----------|--------|-------------|--------|-----|
| С | Р | Α | | | | | | |
| 6 | 0 | 0 | | | L | Т | Р | H |
| | | | | | 4 | 2 | 0 | 6 |
| PRE | REQU | I SITE: I | Logic and Sets | | | | | |
| COU | JRSE O | UTCON | AES: | | | | | |
| | rse outc | | | Doma | | Leve | | |
| CO1:Define and Apply truth tables and the rules of propositional and | | | | | tive | Reme | | ing |
| predicate calculus. | | | | | | Apply | | |
| CO2: Apply the following methods direct proof, indirect proof, and | | | Cogni | tive | Apply | ying | | |
| | | | on, and case analysis to formulate short proofs. | | | | | |
| | | | currence relation with constant coefficients, non | Cogni | tive | Apply | ying | |
| | | | ence relations and non homogeneous recurrence | | | | | |
| | | <u> </u> | ds of generating functions. | | • | TT T | | • |
| | - | | theorems on Boolean Algebra, Duality principle | Cogni | tive | Unde | rstand | ing |
| | ean. fun | | | <u> </u> | | A 1 | • | |
| | | | n algebra, Logic gates and circuits combinatorial | Cogni | tive | Apply | ying | |
| | | lean exp | ression and karnaugh map. | | | | ~ | Г |
| UNI | | | | | - | 1 | - | |
| | | 0 | Propositional calculus- Basic Logical operators- co | | il sta | tement | s- B1 | |
| | | tatement | - tautologies- contradictions- equivalence implication | ons. | | 1 | 0 | |
| UNI' | | | | - 4 1 - | 1 | 1 | 0 | |
| Norms forms- Theory of inference for the statement calculus- The predicate calculus | | | | | | | | |
| inference theory and predicate calculus. UNIT III | | | | | 1 | 8 | | |
| Recurrence relations and generating functions- recurrence relation- solution of linear recu | | | | | i | - | | |
| | | | t coefficients- Non homogeneous recurrence relation | | | | | |
| | | | ence relations- Methods of generating functions. | 15 Soluti | 511 0 | 011 | | |
| UNI | | | | | | 1 | 8 | |
| | - | ms on Bo | oolean Algebra- Duality principle Boolean function | s. | | | - | |
| | TV : | | | | | 1 | 8 | |
| | | ctions- A | pplications of Boolean algebra- Logic gates and cir | cuits -co | ombi | i | | |

| LECTURE | TUTORIAL | TOTAI |
|---------------|--|-------|
| 60 | 30 | 90 |
| ТЕХТ ВООК | - - | |
| 1 I R Trembla | \mathbf{D} \mathbf{M}_{1} \mathbf{M}_{2} $$ | |
| | y, R. Manohar, "Discrete Mathematical structure ta McGraw Hill, International edition New Delh | 11 1 |
| | ta McGraw Hill, International edition New Delh | 11 1 |

| COURSE CODE | | CODE | COURSE NAME | | L | Т | P | С | |
|---|---|------------|---|----------|-----|-------------|-----------------|------|--|
| XMT503A | | | Numerical Methods | 4 | | 2 | 0 | 6 | |
| С | Р | Α | | | | | | | |
| 6 | 0 | 0 | | | L | Т | Р | Η | |
| | | | | | 4 | 2 | 0 | 6 | |
| PRF | EREQU | ISITE: [| Differential Calculus and Integral Calculus | | | | ****** | | |
| CO | URSE C | UTCON | IES: | | | | | | |
| Cou | rse outo | comes: | | Domai | n | Leve | 1 | | |
| CO | CO1: Explain and Solve Algorithms, Convergence, Bisection | | | | | Remembering | | | |
| metl | nod, Fals | se positio | n method, Fixed point iteration method, Newton's | | | Appl | ying | | |
| meth | nod. | | | | | | | | |
| CO2 | 2: Solve | e system o | of linear equations using iterative methods | Cognit | ive | Remembering | | | |
| Gau | ss-Jacob | i, Gauss- | Seidel and SOR iterative methods. | | | Appl | ying | | |
| CO3 | 3: Expla | in Lagra | nge and Newton interpolation: linear and higher | Cognit | ive | Reme | emberi | ing | |
| orde | er, finite | differenc | e operators. | | | Appl | ying | | |
| CO ₄ | CO4: Apply forward difference, backward difference and central | | | Cognit | ive | Understandi | | ling | |
| Difference to find Numerical differentiation: | | | | Applying | | | | | |
| CO | 5: Solve | Integrat | gration using trapezoidal rule, Simpson's rule, and Cognitive | | | | e Understanding | | |
| Eule | er's meth | od. | | | | | | | |

| Algorithms, Co Newton's meth | nvergence, Bisection method, False position method, Fixed point iteration | on method, |
|---------------------------------|---|------------|
| UNIT II | | 18 |
| Secant method, methods. | LU decomposition, Gauss-Jacobi, Gauss-Siedel and SOR iterative | |
| UNIT III | | 18 |
| Lagrange and N | ewton interpolation: linear and higher order, finite difference operators. | • |
| UNIT IV | | 18 |
| Numerical diffe | rentiation: forward difference, backward difference and central Differen | nce. |
| UNIT V : | | 18 |
| Integration: trap | bezoidal rule, Simpson's rule, Euler's method. | |
| LECTURE | TUTORIAL | TOTAL |
| 60 | 30 | 90 |
| TEXT BOOKS | 5 | |
| 2. M.K. Jain, S. | Friendly Introduction to Numerical Analysis", Pearson Education, Ind R.K. Iyengar and R.K. Jain, "Numerical Methods for Scientific and Eng 5th Ed., New age International Publisher, India, 2007. | |

| COURSE CODE | | CODE | COURSE NAME | L | Т | Р | С |
|-------------|-------|----------|-------------|---|---|---|---|
| XM | T503B | | Mechanics | 4 | 2 | 0 | 6 |
| С | P | Α | | | | | |
| 6 | 0 | 0 | | L | Т | Р | Η |
| | | | | 4 | 2 | 0 | 6 |
| PRF | EREQU | ISITE: A | Algebra | | | | |

| COURSE OUTCOMES: | | |
|---|-----------|------------------------------|
| Course outcomes: | Domain | Level |
| CO1: Define basic Concepts and Principles ,Forces acting at a Point to | Cognitive | Remembering |
| Explain Lami's Theorem and Applications, Parallel Forces, Like and Unlike Parallel Forces, Moment of a force, Couples related Problems. | | Understanding |
| CO2: Explain Equilibrium of Three Forces acting on a rigid body, Friction, Laws of Friction, Angle of Friction, Cone of Friction, Properties and related problems. | Cognitive | Understanding |
| CO3: Explain Motion in a Straight line under uniform acceleration, Newton's Laws of motion. Projectiles: Define and explain Path of Projectile, Range on an inclined Plane, Properties and Problems. | Cognitive | Remembering Understanding |
| CO4: Explain Collision of Elastic Bodies , Direct and oblique Impact , Loss of Kinetic Energy related properties and problems. | Cognitive | Understanding |
| CO5: Explain central Orbits Properties and related problems. | Cognitive | Understanding |

| UNIT I | 18 |
|---|---------------------|
| Basic Concepts and Principles - Forces acting at a Point - Lami's Theorem and Applica | tions - Parallel |
| Forces - Like and Unlike Parallel Forces - Moment of a force - Couples - Related prob | lems. |
| UNIT II | 18 |
| Equilibrium of Three Forces acting on a rigid body - Friction - Laws of Friction - Angle of Friction - Cone of friction - Properties and related problems. | |
| UNIT III | 18 |
| Motion in a Straight line under uniform acceleration - Newton's Laws of motion. Project | ectiles: Definition |
| - Path of Projectile - Range on an Inclined Plane - Properties and Problems. | |
| UNIT IV | 18 |
| Impulse and Impact: Collision of Elastic Bodies – Direct and Oblique Impact – Loss of | f Kinetic Energy – |
| Related Properties and Simple Problems. | |
| UNIT V : | 18 |
| Central Orbits: Motion under the action of Central Forces - Properties and Related Prob | olems - |
| Differential Equation of Central Orbit - Pedal Equation of Central Orbit - Velocities in | a Central Orbit - |
| Law of Forces - Properties and Related Problems | |

| LECTURE | TUTORIAL | TOTAL |
|------------------|--|-------|
| 60 | 30 | 90 |
| TEXT BOOK | S | |
| 1. M. K. Venka | taraman, "Statics", Agasthiar Publications, Trichy, 2004. | |
| Unit 1: Cha | pters 2, 3, 4 Unit 2: Chapters 5, 7 | |
| 2. M. K. Venka | taraman, "Dynamics", Agasthiar Publications, Trichy, 2004. | |
| Unit 3: Cha | pters 3: section 3.22, Chapter 4: Section 4.3, Chapter 6 | |
| Unit 4: Cha | pter 8 Unit 5: Chapter 11 | |
| REFERENCE | S | |
| 1. T. K. Manic | kavasagamPillai, "Statics", S. Viswanathan & Co., Chennai, 1980. | |
| 2. S. Narayana | n, "Dynamics", S. Chand & Co., New Delhi, 1980. | |

| COURSE CODE | | CODE | COURSE NAME | L | Т | P P | С |
|-------------|----------|-----------------|--|-----------|-----|--------|-------|
| XM | T504A | | Linear algebra | 4 | 2 | 0 | 6 |
| С | P | Α | | | | | |
| 6 | 0 | 0 | | L | Т | P | Η |
| | | | | 4 | 2 | 0 | 6 |
| PRF | REQU | ISITE: 1 | Matrices | | | | |
| CO | URSE C | UTCO | MES: | | | | |
| Cou | rse outo | comes: | | Domain | Lev | vel | |
| CO | l: Defir | ne and E | xplain vector spaces, subspaces, linear | Cognitive | Rei | nembe | ering |
| | trans | formatio | n, and span of a set with examples. | | Un | dersta | nding |
| CO2 | 2: Defir | e Linea | Independence, Basis and Dimension and to find | Cognitive | Rei | nembe | ering |
| | Rank | and Nu | ıllity. | | | | |
| CO3 | 8: Expl | ain matr | ix of a linear transformation ,Inner product space | Cognitive | Rei | nembe | ering |
| | and to | Define | with examples orthogonality, Gram Schmidt | | Un | dersta | nding |
| | ortho | gonalisat | tion process and orthogonal complement. | | | | |
| CO4 | | | ra of Matrices, Types of Matrices and to find the natrix and Rank of a matrix. | Cognitive | Rei | nembo | ering |

| - | Characteristic equation and Cayley -Hamilton theorem | Cognitive | Remembering |
|------------------|---|----------------|----------------|
| and to f | ind Eigen values and Eigen vectors. | | Understanding |
| UNIT I : Vect | or Spaces | | 18 |
| | Definition and examples – Subspaces-linear transformation | tion – Span o | f a set. |
| UNIT II : Bas | sis and Dimension | | 18 |
| Linear Independ | lence – Basis and Dimension –Rank and Nullity. | | |
| UNIT III : M | latrix and Inner Product Space | | 18 |
| Matrix of a line | ar transformation -Inner product space – Definition and e | examples – O | rthogonality – |
| | orthogonalisation process – Orthogonal Complement. | | |
| UNIT IV : Th | eory of Matrices | | 18 |
| 0 | rices - Types of Matrices – The Inverse of a Matrix – Ele | mentary Trar | sformations – |
| Rank of a matri | | | |
| UNIT V : Cha | aracteristic equation and Bilinear forms | | 18 |
| Characteristic e | equation and Cayley -Hamilton theorem – Eigen values a | nd Eigen vec | tors |
| LECTURE | TUTORIAL | | TOTAL |
| 60 | 30 | | 90 |
| TEXT BOOK | | | |
| 1. Arumugam S | and Thangapandi Isaac A, "Modern Algebra", SciTech | Publications (| (India) Ltd., |
| Chennai, Edi | tion 2012. | | |
| Unit1: C | Chapter 5, Sec 5.1 to 5.4 Unit2: Chapter 5, Sec 5.5 to | 5.7 | |
| Unit3: C | Chapter 5, Sec 5.8, Chapter 6, Sec 6.1 to 6.3 | | |
| Unit4: C | Chapter 7 Sec 7.1 to 7.5Unit5: Chapter 7, Sec 7.7, 7 | 7.8 | |
| REFERENCE | | | |
| 1. I. N. Herst | ein, "Topics in Algebra", Second Edition, John Wiley & | Sons (Asia), | 1975. |
| | | | |

| COU | RSE (| CODE | COURSE NAME | L | Т | Р | C |
|-----|-------|------|-------------|---|---|---|---|
| XMT | '504B | | Astronomy | 4 | 2 | 0 | 6 |
| С | P | Α | | | | | |

| 6 | 0 | 0 | | | L | Т | Р | H |
|----------|-------------------|-------------|---|----------|---------------------|-------------|--------|----------|
| | - | | | | 4 | 2 | 0 | 6 |
| PRE | REQU | ISITE: N | lil | | | | | |
| COL | JRSE (| DUTCON | 1ES: | | | | | |
| Cou | rse out | comes: | | Doma | nin | Leve | l | |
| | : Expl | | | Cogni | itive | Unde | rstand | ing |
| | - | - | f sphere and formulae in spherical trigonometry | | | | | |
| ` 1 | · · | 1 | ns), Celestial sphere and diurnal motion, Celestial | | | | | |
| | | and sider | | | | | | |
| | | ne and Ex | - | Cogni | itive | 1 | emberi | <u> </u> |
| | | | stars, circumpolar stars, diagram of the celestial | | | Unde | rstand | ing |
| ····· | | | , perpetual day, dip of horizon and twilight. | | | | | |
| | | e and Ex | | Cogni | itive | | emberi | |
| | | | refraction, tangent formula, Cassini's formula, | | | Unde | rstand | ing |
| | | | geocentric parallax and horizontal parallax. | ~ | | | | |
| | | | | Cogni | tive | Remembering | | |
| Kepl | er's lav | vs, verific | ation of 1st and 2nd laws in the case of earth, | | | Unde | rstand | ing |
| | | | equation, Seasons, causes and kinds of years. | | •• | ~ | | |
| | | ne and Ex | A | Cogni | itive | 1 | emberi | - |
| | , | • | nodic months, elongation, phase of moon, | | | Unde | rstand | Ing |
| | | | enumbra, lunar and solar eclipses, ecliptic limits, | | | | | |
| | Saros. | na minim | um number of eclipses near a node and in a year | | | | | |
| | | | | | | 1 | 0 | |
| | | norting | f sphere and formulae in spherical trigonometry (no | proof | n o n | | - | |
| | - | 1 | liurnal motion -Celestial coordinates-sidereal time. | proor, | no pi | | 5) - | |
| UNI | . | | | | | 1 | Q | |
| | | davaning | stars -circumpolar stars- diagram of the celestial sp | horo 7 | 0000 | | 0 | |
| | 0 | 0 | lip of horizon-twilight. | mere -z | ones | 01 | | |
| | T -perpe T III | tual uay-C | np of nonzon-twinght. | | | 1 | 8 | |
| | | lowe of r | efraction -tangent formula-Cassini's formula - horiz | zontal r | afraci | i | U | |
| | | | orizontal parallax. | Lonial I | | 1011- | | |
| <u> </u> | T IV | aranan -1 | | | | 1 | Q | |

| UNIT V $:$ | | 18 |
|--|---|-------------------------------------|
| | nd synodic months - elongation - phase of r clipses - ecliptic limits - maximum and mir aros. | 1 1 |
| LECTURE | TUTORIAL | TOTA L |
| 60 | 30 | 90 |
| TEXT BOOK | | |
| 1. Kumaravel, Unit 1: Sec: | S. and Susheela Kumaravel, "Astronomy", 39-79 | 8th Edition, SKV Publications, 2004 |
| | 80-90.106-116 | |
| Unit 2: Sec: | 80-90,106-116 117-144 | |
| Unit 2: Sec: Unit3: Sec: | 117-144 | |
| Unit 2: Sec: Unit3: Sec: Unit 4: Sec | | |
| Unit 2: Sec: Unit3: Sec: Unit 4: Sec | 117-144 : 146-162,173-178 | |

| COURSE CODE | | CODE | COURSE NAME | L | Т | | P | С |
|--|---------------------|----------|---|--------|----|-------|----|---|
| XM | T601 | | Graph Theory | 2 0 0 | | | 0 | 2 |
| С | Р | Α | | | | | | |
| 2 | 0 | 0 | | L | Т | P | SS | Η |
| | | •••••• | | 2 | 0 | 0 | 2 | 4 |
| PRE | EREQU | ISITE: 1 | Aatrices | | | | | |
| COI | URSE (| OUTCO | AES: | | | | | |
| Cou | rse out | comes: | | Domain | L | Level | | |
| CO1: Define and Explain The Konigsberg Bridge Problem, Graphs | | | Cognitive Rememberi | | ng | | | |
| | subgrap covering | , U | es, Subgraphs, Isomorphism., independent sets | 1 0 | | ing | _ | |

| CO2: Define and Explain Matrices, Operations on Graphs, Walks, Trails and Paths, Connectedness and Components and Eulerian Graphs. | Cognitive | Remembering Applying |
|---|-----------|-------------------------|
| CO3: Define and Explain Hamiltonian Graphs, Characterization of | Cognitive | Remembering |
| Trees and Centre of a Tree. | | Applying |
| CO4: Define and Explain Planarity, Properties and Characterization | Cognitive | Understanding |
| of Planar Graphs. | | Applying |
| CO5: Define and Explain Directed Graphs, Basic Properties, Some | Cognitive | Understanding |
| Applications, Connector Problem, Kruskal's algorithm, Shortest Path | | |
| Problem and Dijkstra's algorithm. | | |

| UNIT I | 6 |
|---|----------------|
| Introduction - The Konigsberg Bridge Problem - Graphs and subgraphs: Definition and Examples - Degrees - Subgra | phs – |
| Isomorphism. –independent sets and coverings. | |
| UNIT II | 6 |
| Matrices - Operations on Graphs - Walks, Trails and Paths – Connectedness and Components - Eulerian Graphs. | |
| UNIT III | 6 |
| Hamiltonian Graphs (Omit Chavatal Theorem) - Characterization of Trees - Centre of a Tree. | t. |
| UNIT IV | 6 |
| Planarity: Introduction - Definition and Properties - Characterization of Planar Graphs. | |
| UNIT V : | 6 |
| Directed Graphs: Introduction - Definitions and Basic Properties - Some Applications: Connector Problem - Kruskal | 's algorithm - |
| Shortest Path Problem – Dijkstra's algorithm. | |
| LECTURE | TOTAL |
| 30 | 30 |
| TEXT BOOK | |
| 1. S. Arumugam and S. Ramachandran, "Invitation to Graph Theory", SciTech Publications | |
| | |

(India) Pvt. Ltd., Chennai, 2006.

Unit-I Chapter-1 Sec 1.0, 1.1 and Chapter -2 Sec 2.0, 2.1, 2.2, 2.3, 2.4.2.6

Unit-II Chapter-2 Sec 2.8,2.9 ,Chapter-4 Sec 4.1,4.2 and Chapter-5 Sec 5.0,,5.1

Unit-III Chapter-5 Sec 5.2, Chapter-6 Sec 6.0, 6.1, 6.2.

Unit-IV Chapter-8 Sec 8.0, 8.1, 8.2.

Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2

REFERENCES

1. Narsingh Deo, "Graph Theory with applications to Engineering and Computer Science", Prentice Hall of India, 2004.

2. Gary Chartrand and Ping Zhang, "Introduction to Graph Theory", Tata McGraw-Hill Edition,

2004.

| COI | U RSE | CODE | COURSE NAME | L | Т | ' P | С | |
|-------------|--------------------------|---------------------|---|-----------------|------|------------------|---------------|--|
| XM | KMT602A Complex Analysis | | 4 | 2 | 0 | 6 | | |
| С | P | Α | | | | | | |
| 6 | 0 | 0 | | L | Т | ' P | Η | |
| | t. | • | | 4 | 2 | 0 | 6 | |
| PRF | REQU | ISITE: [| Vifferential Calculus and Integral Calculus | | | | | |
| COI | JRSE (| OUTCON | IES: | | | | | |
| Cou | rse out | comes: | | Domain | Ι | Level | | |
| CO 1 | L: Use | CR Equat | ions in cartesian and polar co-ordinates to find analytic | Cognitive Under | | Jnders | standing | |
| | | ion and to cations. | Explain Harmonic function Properties and | | ł | Applyi | ng | |
| CO2 | - | | ormal mappings - Linear and Non-linear transformations cross ratio to construct Bilinear transformations. | Cognitiv | | Jnders Applyi | tanding ng | |
| CO3 | formu | la and to | ral using cauchy's integral theorem, cauchy's integral Explain Liouville's theorem, Maximum modulus apply them in simple problems. | Cognitiv | | Jnders Applyi | tanding ng | |
| CO4 | | • | series and laurent's series Expansion of functions in not to explain types of singularities. | Cognitiv | re A | Applyi | ng | |
| COS | | • • | residue theorem to Solve Integration of functions of the cosx, sinx. | Cognitiv | re A | Applyi | ng | |

| UNIT I | 18 |
|--|----------|
| Analytic function - Cauchy Riemann Equation in Cartesian and polar co-ordinates - Harmonic function Properties and ap | pplicati |
| UNIT II | 18 |
| Conformal mappings - Linear and Non-linear transformations - Bilinear transformations - Properties and applications | |
| UNIT III | 18 |
| Integration in the Complex plane - Cauchy's Integral theorem - Cauchy's Integral formula - Liouville's theorem - Maxir modulus theorem - Applications and simple problems. | num |
| UNIT IV | 18 |
| Taylor's and Laurent's series - Expansion of functions in power series - Singular points - Types of singularities - Proper | ties of |

| singularities - I | dentification of singularities. | | | | | | |
|-------------------|--|-------|--|--|--|--|--|
| UNIT V : 18 | | | | | | | |
| Calculus of Res | sidues: Residue theorem - Integration of functions of the type involving cosx , sinx- Applications and pro | blems | | | | | |
| relating to resid | lues. | | | | | | |
| LECTURE | TUTORIAL | TOTAL | | | | | |
| 60 | 30 | 90 | | | | | |
| TEXT BOOK | | | | | | | |
| 1. S. Narayanar | n & T.K. ManickavasagamPillai, "Complex Analysis", S. Viswanathan Publishers, | | | | | | |
| Chennai, 199 | 97. | | | | | | |
| Unit 1: | Chapter 1 | | | | | | |
| Unit 2: | Chapter 2 | | | | | | |
| Unit 3: | Chapter 3 | | | | | | |
| Unit 4: | Chapter 4 | | | | | | |
| Unit 5: | Chapter 5 | | | | | | |
| REFERENCE | S | | | | | | |
| 1. S. Arumugar | n, A. Thangapandi Isaac& A. Somasundaram, "Complex Analysis", SciTech | | | | | | |
| Publications | s, India, Pvt. Ltd., 2004. | | | | | | |
| 2. S. Ponnusan | ny, "Foundations of Complex Analysis", 2ndEdition, Narosa Publication, New | | | | | | |
| Delhi, 2005 | Delhi, 2005. | | | | | | |
| 3. R. V. Church | hill & J.W.Brown, "Complex variables and applications", 5thEdition, McGraw | | | | | | |
| Hill, Singaj | pore, 1990. | | | | | | |

| XMT602B Number Theory 4 2 | | C | |
|--|---------------|-----|--|
| | 0 | 6 | |
| C P A | | | |
| 6 0 0 L T | P | H | |
| 4 2 | 0 | 6 | |
| PREREQUISITE: Algebra | | | |
| COURSE OUTCOMES: | _ | | |
| Course outcomes: Domain Leve | | | |
| | emberi | 0 | |
| Linear Diophantine Equation, The Fundamental Theorem of Arithmetic.Under | erstand | ing | |
| CO2: Define and Explain Permutations and Combinations, Fermat's Cognitive Rem | Remembering | | |
| | Understanding | | |
| CO3: Define and Explain Basic Properties of Congruences Residue Cognitive Rem | Remembering | | |
| | Understanding | | |
| Revisited. | | | |
| | emberi | ng | |
| | erstand | ing | |
| CO5: Define and Explain Formulae for d(n) and s(n) – Multiplicative Cognitive Rem | emberi | ng | |
| Arithmetic Function – The Mobius Inversion Formula. Under | erstandi | ing | |
| UNIT I | 8 | | |
| Euclid's Division Lemma – Divisibility – The Linear Diophantine Equation – The Fundam | ental | | |
| Theorem of Arithmetic | | | |
| UNIT II | 8 | | |
| Permutations and Combinations – Fermat's Little Theorem – Wilson's Theorem – | | | |
| Generating Functions | | | |
| UNIT III 1 | 8 | | |
| Basic Properties of Congruences Residue Systems. Linear Congruences – The Theorems of Fermat and Wilson Revisited. | • | | |
| UNIT IV | 18 | | |
| The Chinese Remainder Theorem – Polynomial Congruences – Combinational Study of F(| ı). | | |

| UNIT V : | | 18 |
|----------------------|--|------------------------------------|
| Formulae for d(| n) and s(n) – Multiplicative Arithmetic Function – The | e Mobius Inversion |
| Formula. | · | |
| LECTURE | TUTORIAL | ΤΟΤΑ |
| | 20 | L |
| 60 | 30 | 90 |
| TEXT BOOK | | 1004 |
| 1. George E.A | ndrews, "Number Theory", Hindustan Publishing Co | prporation – 1984, |
| Unit I : Cha | pter - 2 Sec. 2.1 – 2.4 pages 12-29 | |
| Unit II : Ch | apter – 3 Sec. 3.1, 3.4 pages 30-44 | |
| Unit III : Cl | hapter – 4Sec. 4.1 – 4.2 Pages 49 – 55, Sec. 5.1- 5.2 Pa | ages 58-65 |
| Unit IV : Cl | napter – 4 Sec. 5.3 – 5.4 pages 66-74, Sec. 6.1 Pages 7 | 5-81 |
| Unit V : Ch | apter – 5 Sec. 6.2 – 6.3 Pages 82-92 | |
| REFERENCE | 3 | |
| 1. S.B.Mali | x, "Basic Number Theory", Vikas Publishing House P | vt. Ltd., 2 nd Ed.2009. |
| 2. K.C.Cho | wdhury, "A First Course Theory of Numbers", Asian | n Books Pvt. Ltd., I Edition |
| 2004. | | |
| | | |

| CO | URSE (| CODE | COURSE NAME | L | Т | P | С |
|-----------------------------|--------|-------------|--------------------|---|----------|----------|---|
| XMT603A | | | Linear programming | 4 | 2 | 0 | 6 |
| С | P | Α | | | | | |
| 5 | 0.5 | 0.5 | | L | Т | P | Η |
| | | ***** | | 4 | 2 | 0 | 6 |
| PRI | EREQU | ISITE: | NIL | | . | i | |
| CO | URSE (| UTCO | MES: | | | | |
| Course outcomes: Domain Lev | | | Level | | | | |

| CO1: Find Graphical Solution, Solve LPP using Simplex Method, Big M Method and Two Phase Method. | Cognitive | Remembering Applying |
|---|--------------------------|--------------------------------|
| CO2: Solve Linear Programming problem Formulation of Primal, Dual Pairs, Duality and Simplex Method. | Cognitive Psychomotor | Applying Guided Response |
| CO3: Solve Transportation Problems, finding initial basic feasible solution using North West Corner Rule and Vogel's approximation method, Solve unbalanced Transportation Problems, Assignment Problems and Routing Problems. | Cognitive | Applying |
| CO4: Solve sequencing Problems, Problems with 'n' jobs and 'k' machines, Problems with 'n' jobs and 2 machines, Problems with 2 jobs and k machines and Problems with 2 jobs and 3 machines. | Cognitive Affective | Applying Receiving |
| CO 5: Solve Game Theory problems Two persons Zero sum games, maximin and minimax principle, Games without saddle points, Mixed strategies, using Graphical method and Dominance property. | Cognitive | Applying |

| UNIT I | | 18 | | | |
|---|--|-----------|--|--|--|
| Introduction to | convex sets - Mathematical Formulation of LPP - Graphical Solution - Simplex Method - Big M Method | - Two | | | |
| Phase Method. | | | | | |
| UNIT II | | 18 | | | |
| Duality in Linear Programming: Formulation of Primal - Dual Pairs - Duality and Simplex Method - Dual Simplex | | | | | |
| Method | | | | | |
| UNIT III | | 18 | | | |
| ± | Problems: Mathematical formulation of the problem - finding initial basic feasible solution using North W | | | | |
| | Vogel's approximation method - Moving towards Optimality - Unbalanced Transportation Problems. As | signment | | | |
| | ematical formulation of Assignment Problems - Assignment algorithm – Routing Problems. | 10 | | | |
| UNIT IV | $[1, \dots, D_{n-1}, 1, \dots, 1, 4] (1, 2, \dots, 1, 4] (1, 2, \dots, 1, 4] (1, 2, \dots, 1, 4) (1, 2, \dots, 1, 4) (1, 2, \dots, 1, 4) (1, 2, \dots, 4)$ | 18 | | | |
| | blems: Problems with 'n' jobs and 'k' machines - Problems with 'n' jobs and 2 machines- Problems with 2 - Problems with 2 jobs and 3 machines. | 2 jobs | | | |
| UNIT V : | - Froblems with 2 jobs and 5 machines. | 18 | | | |
| | wo persons Zero sum games - maximin and minimax principle - Games without saddle points - Mixed str | | | | |
| | od - Dominance property. | alegies - | | | |
| ······································ | TUTORIAL | TOTAL | | | |
| 60 | 30 | 90 | | | |
| TEXT BOOK | | | | | |
| 1. KantiSwarup | P. K. Gupta& Man Mohan, "Operations Research", Sultan Chand& Sons, New | | | | |
| Delhi, Twelft | h Revised Edition, 2005. | | | | |
| Unit 1: c | hapter 2: 2.1, 2.2, chapter 3: 3.2, chapter 4; 4.1, 4.4. | | | | |
| Unit 2: c | hapter 5: 5.2, 5.3, 5.7, 5.9. | | | | |
| Unit 3: 0 | Chapter 10: 10.2, 10.9, 10.14, Chapter 11: 11.2, 11.3. | | | | |
| Unit 4: 0 | Chapter 12: 12.1 – 12.6. | | | | |
| Unit 5: 0 | Chapter 17: 17.1 – 17.7. | | | | |

REFERENCES

1. P. K. Gupta & D. S. Hira, "Operations Research", S. Chand & Company Ltd., New Delhi, 2002.

2. J. K. Sharma, "Operations Research theory and its applications", 2nd Edition, Macmillan, New

Delhi, 2006.

3. R. Panneerselvam, "Operations Research", Prentice Hall of India Pvt. Ltd., New Delhi, 2002.

| COURSE CODE XMT603B | | | COURSE NAME Stochastic Processes | | L 4 | T 2 | P 0 | C 6 |
|--|--|-------------|--|-----------|-------------|-------------|--------|--------|
| | | | | | | | | |
| 6 | 0 | 0 | | | L | Т | P | Η |
| | | | | | 4 | 2 | 0 | 6 |
| PRF | EREQU | ISITE: P | Probability and Statistics | | | | | |
| CO | URSE (| DUTCON | IES: | | | | | |
| Course outcomes: | | | | Don | nain | Level | | |
| CO1: Find and Solve Generating function, Laplace transforms, | | | | Cognitive | | Remembering | | |
| Laplace transforms of a probability distribution function,- Difference | | | | | Unde | rstand | ing | |
| equa | ations, D | oifferentia | I difference equations. | | | | | |
| CO | CO2: Define and Explain with Examples Stochastic Process, Cognitive | | | | Remembering | | | |
| Notion, Specification, Stationary Process, Markov Chains, and Higher | | | | | | Unde | rstand | ing |
| trans | sition pr | obabilitie | S. | | | | | |
| CO3: Define and Explain Classification of states and chains, Co | | | Cog | nitive | Remembering | | | |
| Determination of higher transition probabilities, Stability of Markov | | | | | | Unde | rstand | ing |
| syste | em, and | Limiting | behaviour. | | | | | |
| CO | 4: Defin | e and Ex | plain Poisson Process and related distributions, | Cog | nitive | Reme | ember | ing |

| Generalization of Poisson Process, Birth and death process. | | Understanding |
|---|-----------|------------------------------|
| CO5: Define and Explain Stochastic Process in queuing and reliability, queuing systems, M/M/1 models, Birth and death process in queuing theory, Multi channel models and Bulk Queues. | Cognitive | Remembering Understanding |

| UNIT I | 18 | | | | | |
|--|--------|--|--|--|--|--|
| Generating function - Laplace transforms – Laplace transforms of a probability distribution function - Difference equations | | | | | | |
| Differential difference equations – Matrix analysis. | | | | | | |
| UNIT II | | | | | | |
| Stochastic Process - Notion - Specification - Stationary Process - Markov Chains - Definition and examples - Higher | | | | | | |
| transition probabilities. | | | | | | |
| UNIT III | 18 | | | | | |
| Classification of states and chains – Determination of higher transition probabilities – Stability of Markov system – Limiting | | | | | | |
| behaviour. | | | | | | |
| UNIT IV | 18 | | | | | |
| Poisson Process and related distributions – Generalization of Poisson Process – Birth and death process. | | | | | | |
| UNIT V : | | | | | | |
| Stochastic Process in queuing and reliability – queuing systems – M/M/1 models – Birth and death process in queuing the | eory – | | | | | |
| Multi channel models – Bulk Queues. | TOTAL | | | | | |
| LECTURE TUTORIAL | | | | | | |
| 60 30 | 90 | | | | | |
| TEXT BOOK | | | | | | |
| 1. J.Medhi, "Stochastic Processes", 3 rd Ed. New age, International, 2009. | | | | | | |
| Chapters 1,2,3 (Omitting 3.6,3.7,3.8), Chapter (Omitting 4.5 and 4.6) and Chapter 10 | | | | | | |
| (Omitting 10.6, 10.7). Unit 1: Chapter 1 – Sec 1.1, 1.2, 1.3, Appendix A 1, 2, 3, 4. Unit 2: | | | | | | |
| Chapter 2 – Sec 2.1, 2.2, 2.3 & | | | | | | |
| Chapter 3 – Sec 3.1, 3.2. Unit 3: Chapter 3 – Sec 3.4, 3.5, 3.6. Unit 4: Chapter 4 – Sec 4.1, | | | | | | |

4.2, 4.3, 4.4 Unit 5: Chapter 10 – Sec 10.1, 10.2, 10.3, 10.4, 10.5

REFERENCES

- 1. Samuel Karlin, "First Course in Stochastic Processes" 2nd Edition, Elsevier, 2012.
- 2. Srinivasan and Metha, "Stochastic Processes" TATA McGraw Hill, 1978.
- 3. U.Narayan, "Elements of Applied Stochastic Processes" A.John wiley & Sons, 2002.

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